



SACRED HEART RC PRIMARY SCHOOL

KS2 Maths workshops

How do we teach maths in KS2 at Sacred Heart?



Add ones using number bonds

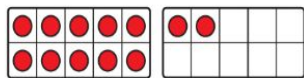
Discover



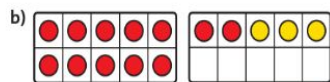
Rani

- 1 a) A full box holds 10 . How many are in the boxes?
- b) Rani adds 3 more . How many are there now?

Share



There are 12 in the boxes.



12 is 10 and 2.

$$12 + 3 = 15$$

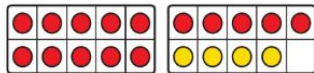
There are 15 now.

$$2 + 3 = 5, \\ \text{so } 12 + 3 = 15.$$



Think together

- 1 Solve $15 + 4$



$$5 + 4 = \square$$

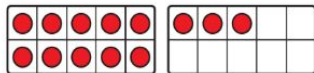
So

$$15 + 4 = \square$$

I will work out $5 + 4$ first.



- 2 a) Solve $13 + 2$



$$3 + 2 = \square$$

So

$$13 + 2 = \square$$

I will make 14 on two ten frames.



- b) Now try $14 + 3 = \square$

- 3 a) Find solutions to this problem.

$$\square + \square = 18$$

- b) Find solutions to this problem.

$$\square + \square = 15$$

I will try to find more than three ways.



First, I will work out bonds for 8. $1 + 7 = 8$.
 $2 + 6 = 8 \dots 8 + 0 = 8$.



Learning times tables is essential.





Multiplication check year 4.

Monday 5 June and Friday 16 June 2023.

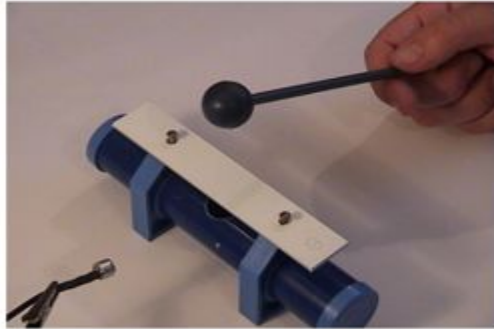
The purpose of the check is to determine whether your child can fluently recall their times tables up to 12, which is essential for future success in mathematics. It will also help your child's school to identify if your child may need additional support.

It is an on-screen check consisting of 25 times table questions. Your child will be able to answer 3 practice questions before taking the actual check. They will then have 6 seconds to answer each question. On average, the check should take no longer than 5 minutes to complete.

Why learn times tables?

- that 'being able to recall the facts quickly' is an important skill because it **facilitates mathematical actions**, such as factorising quadratic expressions;
- that pupils should be expected to be able to recall times-tables facts fluently **before starting secondary school**;
- that achieving 'times-tables fluency' **gives pupils confidence**, and enables them to start **reasoning multiplicatively more widely**;
- that achieving 'times-tables fluency' requires '**practice, practice, practice**';

What can you do to help?



'The Gong'

Count silently in multiples of TT.

When I raise stick, call out number I have stopped at.

STAND UP SIT DOWN Multiplication



- Sit in pairs.
- Stand when pointed to and say next multiple in times table (e.g. 8X table)
- Repeat but this time have to remember the order they stood up in in the last round.
- Stand up if your number was 8 more than 24
- Stand up if your number was even. Why is that?
- Stand up if yours was a square number.
- Stand up if yours was 16 less than 32

24	12	1	11	8	8×1	8
25	12	1	2	16	8×2	16
3	3	3	3	24	3×8	24
					2×1	2
					2×2	4
					3×2	6
					2×3	6
					4×2	8
					2×5	10



Fluent recall of facts

These enable children to build maths fluency and are essential to aid children's maths.

Doubles and half

Fact families for numbers 6, 7, 8 and 9

Number bonds to 10, 20 and 100

Counting multiples of 25 and 50

Fraction/decimal/percentage equivalence

Fraction / Decimal / Percentage Equivalence

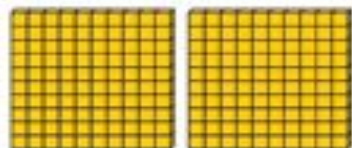
Fraction	Decimal	Percentage
1 (whole)	1.0	100%
$\frac{1}{2}$	0.5	50%
$\frac{1}{4}$	0.25	25%
$\frac{3}{4}$	0.75	75%
$\frac{1}{10}$	0.1	10%
$\frac{2}{10}$	0.2	20%

Some key terms:

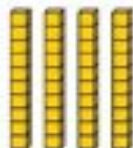
Cardinality: The cardinal value of a number refers to the quantity of things it represents, e.g. the numerosity, 'howmanyness', or 'threeness' of three.

Unitise: How can you quickly work out the number of eggs contained in a stack of egg boxes? How would you calculate the total amount of money in a pile of 50p pieces? You'd probably count the boxes, or the coins, and then do a multiplication.

Addition in KS2. It all begins with place value!



200



240

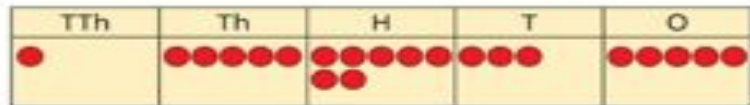


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Use a place value grid to support the structure of numbers to 1,000.

Use place value equipment to represent additions.

Add a row of counters onto the place value grid to show $15,735 + 4,012$.



Use number bonds to add the 1s.

H	T	O
		●●●●●
		●●●●
2	4	9

Use number bonds to add the 1s.
 $5 + 4 = 9$

$$245 + 4$$

$$5 + 4 = 9$$

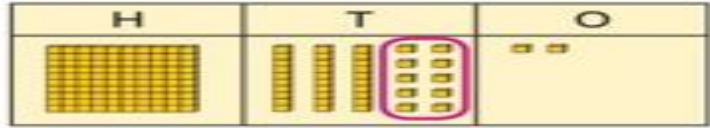
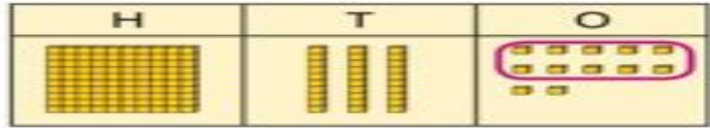
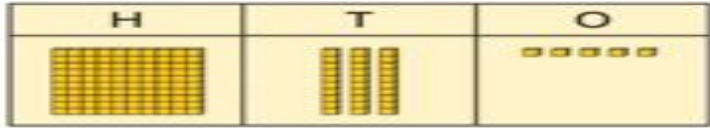


TTh	Th	H	T	O
●●●●		●●	●●●●●●	●●●●●
	●●●●	●●●●●●	●●	●●

TTh	Th	H	T	O
4	0	2	6	5
+				
	3	5	2	2
<hr/>				

So how do we teach it?

Exchange 10 ones for 1 ten where needed.
Use a place value grid to support the understanding.

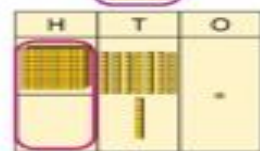
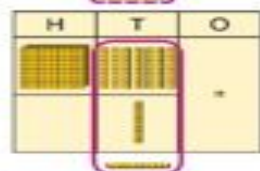
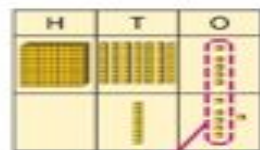


$$135 + 7 = 142$$

Key terminology:
Exchange not borrow.

Represent the required exchange on a place value grid using equipment.

$$275 + 16 = ?$$



$$275 + 16 = 291$$

Note: In this example, a mental method may be more efficient. The numbers for the example calculation have been chosen to allow children to visualise the concept and see how the method relates to place value. Children should be encouraged at every stage to select methods that are accurate and efficient.

Use a column method with exchange. Children must understand how the method relates to place value at each stage of the calculation.

	H	T	O
	2	7	5
+		1	6
	<hr/>		
			1

Diagram showing the first stage of the column method: 5 ones + 6 ones = 11 ones. A red box highlights the 5 and 6 in the ones column, and another red box highlights the 1 in the ones column of the result, with an arrow pointing to the 1 ten in the tens column, indicating the exchange.

	H	T	O
	2	7	5
+		1	6
	<hr/>		
		9	1
	<hr/>		
	2		

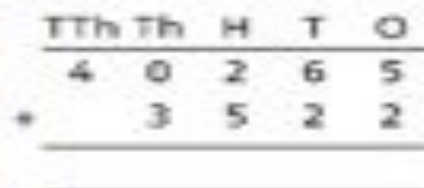
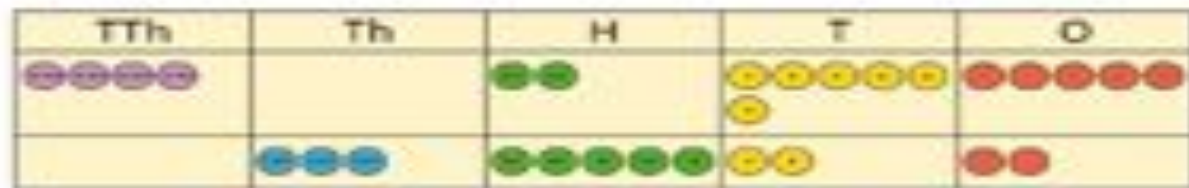
Diagram showing the second stage of the column method: 7 tens + 1 ten = 8 tens, plus the 1 ten carried over from the previous stage, resulting in 9 tens. A red box highlights the 7 and 1 in the tens column, and another red box highlights the 9 in the tens column of the result, with an arrow pointing to the 2 in the hundreds column, indicating the exchange.

	H	T	O
	2	7	5
+		1	6
	<hr/>		
	2	9	1
	<hr/>		

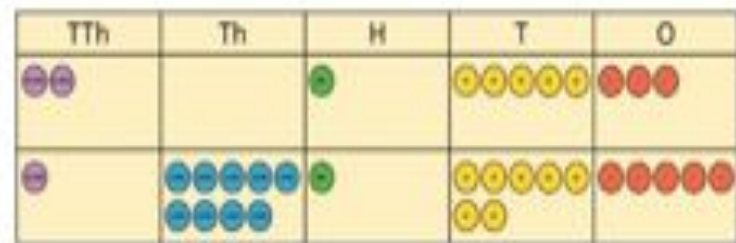
Diagram showing the final stage of the column method: 2 hundreds + 0 hundreds = 2 hundreds. A red box highlights the 2 in the hundreds column of the result.

$$275 + 16 = 291$$

Discuss similarities and differences between methods, and choose efficient methods based on the specific calculation. Compare written and mental methods alongside place value representations.



Represent additions, using place value equipment on a place value grid alongside written methods.



I need to exchange 10 tens for a 100.

$$\begin{array}{r}
 \text{TTh Th H T O} \\
 \hline
 20153 \\
 + 19175 \\
 \hline
 39328 \\
 \hline
 \end{array}$$

Use column addition, including exchanges.

$$\begin{array}{r}
 \text{TTh Th H T O} \\
 \hline
 19175 \\
 + 18417 \\
 \hline
 37592 \\
 \hline
 \end{array}$$

Subtraction

Use number bonds to subtract the 1s.

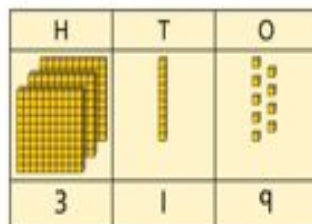


$$214 - 3 = ?$$

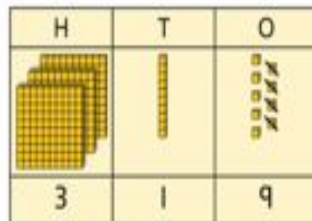


$$4 - 3 = 1$$
$$214 - 3 = 211$$

Use number bonds to subtract the 1s.



$$319 - 4 = ?$$

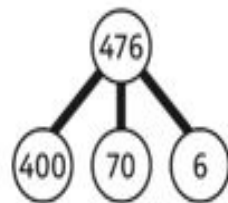


$$9 - 4 = 5$$
$$319 - 4 = 315$$

Understand the link with counting back using a number line.

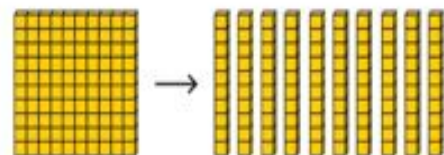
Use known number bonds to calculate mentally.

$$476 - 4 = ?$$





$$6 - 4 = 2$$
$$476 - 4 = 472$$

Use equipment to understand the exchange of 1 hundred for 10 tens.

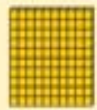



Represent the exchange on a place value grid using equipment.

$$210 - 20 = ?$$

H	T	O
		

I need to exchange 1 hundred for 10 tens, to help subtract 2 tens.

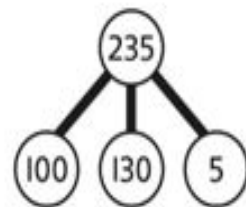
H	T	O
		

$$210 - 20 = 190$$

Understand the link with counting back on a number line.

Use flexible partitioning to support the calculation.

$$235 - 60 = ?$$



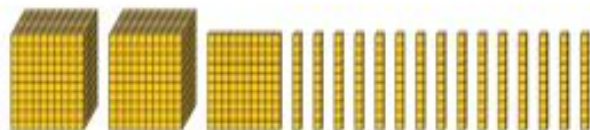
$$235 = 100 + 130 + 5$$

$$235 - 60 = 100 + 70 + 5$$

$$= 175$$

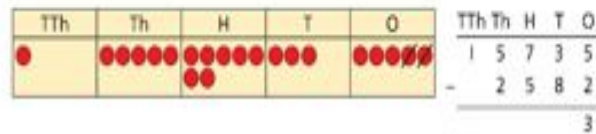
Use place value equipment to understand where exchanges are required.

$$2,250 - 1,070$$

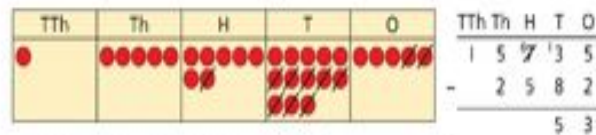


Represent the stages of the calculation using place value equipment on a grid alongside the calculation, including exchanges where required.

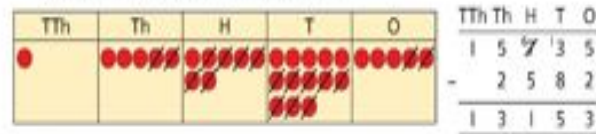
$$15,735 - 2,582 = 13,153$$



Now subtract the 10s. Exchange 1 hundred for 10 tens.



Subtract the 100s, 1,000s and 10,000s.



Use column subtraction methods with exchange where required.

TTh	Th	H	T	O
15	7	3	5	
-	2	5	8	2
<hr/>				
4	3	5	6	3

$$62,097 - 18,534 = 43,563$$

Check out our website



SACRED HEART RC PRIMARY SCHOOL

LOVE OF GOD, LOVE OF ONE ANOTHER      LOVE OF OUR WORLD, LOVE OF LEARNING

[HOME](#) • [OUR SCHOOL](#) • [WHATS HAPPENING](#) • [OUR COMMUNITY](#) • [OUR LEARNING](#) • [CATHOLIC MISSION](#)





SECTION MENU

- OUR CURRICULUM
- CURRICULUM OVERVIEWS BY YEAR GROUP
- **MATHS** ←
- SCIENCE
- PSHE (RSE)
- USEFUL HOME LEARNING LINKS

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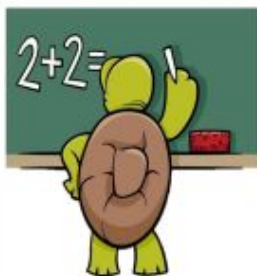
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Overview



In addition and subtraction, we learn to:

- Add and subtract multiples of 100.
- Add and subtract 3-digit and 1-digit numbers.
- Subtract a 1-digit number from a 3-digit number.
- Add and subtract 3-digit and 2-digit numbers.
- Add and subtract 100s -Spotting patterns.

Addition and Subtraction is useful learning because it is used in many areas of everyday life – e.g. shopping, cooking, or playing games. It also forms the basis for lots of other maths ideas.

Addition Methods

3-digit and 1-digit numbers

Not crossing 10



$$352 + 6 = 358$$

Crossing 10

210		
200	10	2
200	20	12
HUNDREDS	TENS	ONES
2	1	2

$$224 + 8 = 232$$

3-digit and 2-digit numbers

Adding Tens



$$356 + 30 = 386 \text{ (5 tens plus 3 tens)}$$

When **crossing 10**, we can use column addition or count in 10s mentally.

Crossing 10/ 100

$$\begin{array}{r} 677 \\ + 74 \\ \hline 751 \\ 11 \end{array}$$

Use exchanging for answers larger than 10. Remember to include this in the next calculation.

3-digit numbers

Not Exchanging

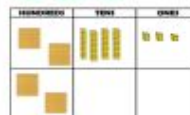


$$356 + 211 = 567$$

When **exchanging/ crossing 10/100**, we can use column addition, as shown below left, but with 3-digit plus 3-digit numbers).

Adding 100

$$243 + 200 = 443$$



Subtraction Methods

3-digit and 1-digit numbers

Not crossing 10



$$427 - 4 = 423$$

Crossing 10



$$221 - 8 = 213$$

3-digit and 2-digit numbers

Subtracting Tens



$$356 - 20 = 336 \text{ (5 tens minus 2 tens)}$$

When **crossing 10**, we can use column addition or count in 10s mentally.

Crossing 10/ 100

$$\begin{array}{r} 448 \\ - 97 \\ \hline 351 \end{array}$$

Use exchanging for answers below zero. Remember to subtract the exchanged value from the next column.

3-digit numbers

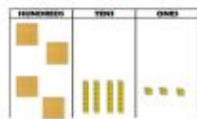
Not Exchanging



$$356 - 122 = 234$$

When **exchanging/ crossing 10/100**, we can use column subtraction, as shown below left, but with 3-digit minus 3-digit numbers).

Adding 100



$$443 - 200 = 243$$

Estimate

Being able to estimate using known facts helps us to check that answers are reasonable.

Estimating using near numbers

Estimate 221 - 78

Near number to 221 = 220

Near number to 78 = 80

$$220 - 80 = 140$$

Estimate = 140

Estimating marked numbers on a number line

Estimate the value of the green line



The student has added the blue lines to break down the hundred further, to give an estimate of 330.

Key Vocabulary

Estimate Sum Add Subtract Altogether Difference Exchange Column Method Number Line Number Bond Inverse